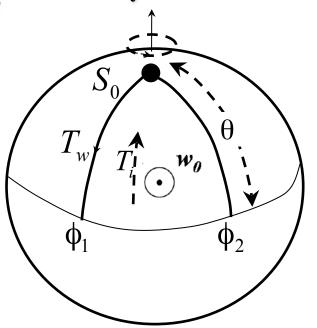


Department of Physics University of Athens

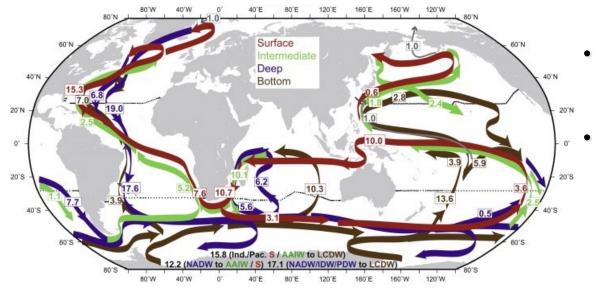


8. Deep convection and the thermohaline circulation

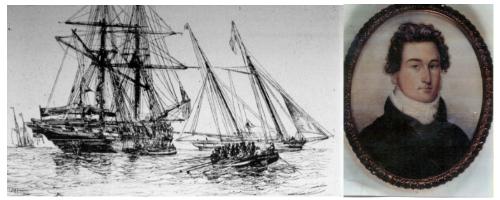
8. Η δημιουργία βαθιών νερών και η θερμοαλατική κυκλοφορία



- Δημιουργία βαθιών νερών Deep convection
- Θερμοαλατική κυκλοφορία -Thermaohaline circulation



Σ. Σοφιανός & Β. Βερβάτης



1721-1806

In 1751 **Henry Ellis**, the captain of a slave-trading ship, on his route from Africa to America, stopped at the tropical Atlantic and made deep water measurements (asked by the English Reverend Stephen Hales, using wooden bucket equipped with valves to capture water at selected depths). In his letter, he reported that

"the cold increased regularly, in proportion to the depths, till it descended to 3900 feet: from whence the mercury in the thermometer came up at 53 degrees (*11.67°C) ... The warmth of the water upon the surface, and that of the air, was at that time by the thermometer 84 degrees (*28.89°C)."

"This experiment, which seem'd at first by mere food for curiosity," became in the interim very useful to us. By its means we supplied our cold bath, and cooled our wines or water at pleasure; which is vastly agreeable to us in the burning climate"

(Ellis, 1751)

in which I cannot perfectly agree with him, I think fearce any body is better acquainted with the fubject of electricity than himfelf.

XXXII. A Letter to the Rev. Dr. Hales, F.R.S. from Captain Henry Ellis, F.R.S. dated Jan. 7, 1750-51, at Cape Monte Africa, Ship Earl of Hallifax.

Read June 13- T MAKE use of this opportunity of 1751. Writing to you, less from the vanity I have of having such a correspondent, than the defire of contributing to his fatisfaction, who efteems it his greatest happiness to promote the interest of mankind. At yours and Lord Hallifax's recommendation, I had ur ventilators fixed on board of my thip, at Briftol. The following is a detail of the experiments, which made to prove their utility.

1. I took a wax-candle, of eight to the pound,

and drew it thro' a mold, to make it of one thickness from end to end: then weighed it exactly, and lighted it in the ship's hold; where I found it wasted 67 grains in 30 minutes; that place not being ventilated during 24 hours: but after fix hours ventilation

it wasted 94+; grains in the fame time.
2. I carried with me into the hold a plate of filver. well polished, and a lantern and candle, all blinded, except a round hole of about two inches diameter. I placed the plate at fix feet diffance from it; and with D d 2 foch

[213]

in most ships is very moist, in ours is quite dry. Our cargo arms, which are kept there in upright chefts, without wrappers, come out as bright as from a re-Far is a ventilator from being inconve-

Upon the paffage, I made feveral trials, with the bucket fa-gage, in latitude 2f-13° north; longisted 2f-13° well. I charged is, and let it down to different depths, from 360 feet to \$346 feet 1 when I differented by a finall thermometer of Fahrenheits, made by Mr. Bird, which went down in it, that the made by Mr. hird, which went down in that the cold increased regularly, in proportion to the depths, till it defeended to 3900 feet; from whence the mer-cury in the thermometer came up at 53 degrees; and tho I afterwards funk it to the depth of 5346 feet, that is a mile and 66 feet, it came up no lower The warmth of the water upon the furface, and that of the air, was at that time by the thermometer 84 degrees. I doubt not but that the water was a de came up in the bucket, having flood 43 minutes in the air (the time of winding it up) the mercury rose above 5 degrees. When the air had render'd it equally warm with the water on the furface. I tried their weight, by weighing equal quantities very exactly, as also by the hydrometer, and found from great depths the heaviest, and consequently the saltest

depths, was a common houshold pail or bucket, with two heads in it; which heads had each a round hole in the middle, near four inches diameter, which were cover'd with valves which open'd upwards; and that they might both open and thut together, there was a finall iron rod fixed to the upper part of the lower valve, and at the other end to the under part of the apper valve: fo that, as the bucket defeended with ts finking weight into the fea, both the valves open'd by the force of the water, which had by that means a free paffage thro' the bucket. But when the bucket a free pallage thro the bucket. But when the bucket was drawn up, then both the valves were flust by the force of the water at the upper part of the bucket; by which means the bucket was brought up full of the lowest fea-water, to which it had defcended. the lowest sea-water, to which it had describe

When the bucket was drawn up, the hole at the bottom was stopped with a cork, to keep the water in, when the valves were open'd, to come at the mercurial thermometer, which being tied to an up-right flick, could readily be unfaftened, by pulling out a loofe nail, which went into the upper end or flick, which was fasten'd at its lower end in the same

manner.

But great care must be taken to make an observation of the degree the mercury stands at, before the lower part of the thermometer is taken out of the water; else it would immediately be alterd by

In order to keep the bucket in a right polition, there are four cords fixed to it, which reach about three feet below it, to which the finking weight is to

fuch obliquity, that the rays from the light thould fall on its furface at an angle of 4.5 degrees. I then fixed a white peper forcen, at the fame diffiance from the plate, and under the fame angle with the lancer, fo that the reflected rays might fall upon it also. This being done, I observed, that the reflection from the plate diffiancibly was but 1.7 get "with an unventilated held; it being turned the colour of turnified lead; whereas, when the air was replaced by 4 hours ventilation, it continued to reflect light, and retain its brightness 4 hours 47 minutes.

 The ship's bell, whose diameter is 14 inches,
 I had brought into the hold, when ventilation had I had prought into the hold, when ventiation had been omitted 12 hours. Having hung it under the lower deck, I took out the clapper; and having fuf-pended it alifo by thread, which, with its own length, made 44 inches; the angle, which the rim of the bell made, with a line let fall perpendicular from the pin, on which the clapper hung, was equal to 34' o". I then held the clapper at the fame angle, on the other fide of the line, in order that the firokes at different times might be with the fame force; at different times might be with the lame force; when, letting it go, is firuck the bell. In its return I catched it, and counting the vibrations, I heard them diffinedly but three times; whereas, when the hold was well ventilated, it vibrated five times; but its vibrations were not fo quick in the latter, as in the former case. I took all possible precautions, the normer cale. I took all possible precautions, that these experiments might be fairly tried, to pre-went deception; but always found them to produce the same effects.

We are at present very healthy, tho' our number is 130, not one being fick aboard. Our hold, which

This experiment, which form'd at first but mere food for curiofity, became in the interim very useful to us. By its means we supplied our cold bath, and cooled our wines or water at pleafure; which is vaftly agreeable to us in this burning climat

agreeable to us in this burning climate.

I intend, in our padigae to the Welt Indies, to found a mile deeper than I have done, having a fufficient quantity of line. But I cannot attempt our method to find the depth of the fias, for want of apparatus. My buffined at preferrat afford me very little time for speculation. However, I cannot omit the fine for speculation. However, I cannot omit for the state of the state o observing to you a phenomenon, which I saw last night, and never before, that I remember; and that was the two arches of the iris, with their colours diffinct, by moon-light. Having already prefumed much on your patience, and my leifure,

A Letter to the Prefident, from Stephen Hales, D. D. & F. R. S.

Read Jose 13-T HAVE here inclosed, at his defige, a copy of a letter from Captain Ellis, who published an account of his voyage to Hudson's

The bucket sea-gage, which he mentions, and which I provided for him, to find the different de-grees of coolness and saltness of the sea, at different

Captain Robinson, who is lately arrived from India, fays, he found so much benefit by ventilators, that he will never go a voyage without them; and that

There are many other instances of the benefit of rentilators in thips, not only to the health and lives, but also to the provisions, &c.

I am, Sir, with great respect,

Your obliged humble fervant,

Stephen Hales.

XXXIII. Observations on the Roman Colonies and Stations in Cheshire and Lancathire, by Thomas Percival Efq; communi-cated by Hugh Lord Willoughby of Par-ham, F. R. S.

Read June 13. TN the fecond iter of Antonine's Itinerary, we find, after feveral other stations mentioned Eboracum

Calcariam M. P. IX. Camulodunum M. P. XX. Tho' with various Mamucium M. P. XVIII. readings of the Condate M. P. XVIII.

Devam M. P. XX. It is agreed, that Deva is Chefter, and that Mamucium or Manucium or Mancunium, is Manchefter, by the common confent of all antiquarians. But where Con-



1753-1814

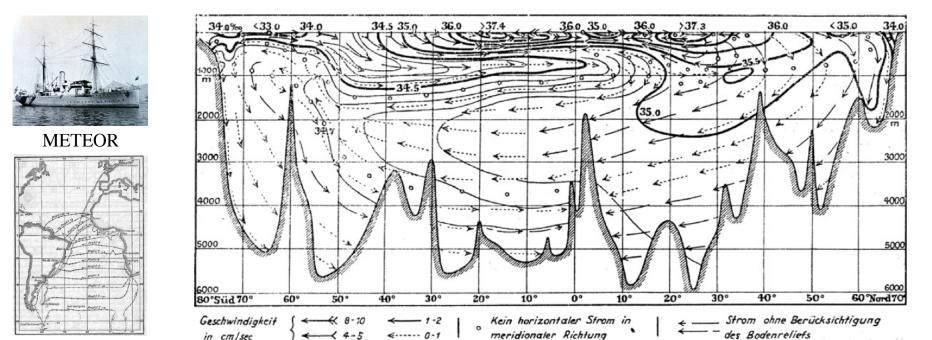
Based on Ellis's temperature profile, Count Rumford (Sir Benjamin Thompson), an Americanborn British scientist, deduced a scheme of the overturning circulation. In 1800, he wrote:

"It appears to me to be extremely difficult, if not quite impossible, to account for this degree of cold at the bottom of the sea in the torrid zone, on any other sup-position than that of cold currents from the poles."

Rumford further reasoned that this cold current at depth

"must necessarily produce a current at the surface in an opposite direction" (Rumford, 1800).

Measurements along 20°W during the German Atlantic **Meteor Expeditions** from 1925–1927, captured plumes of saline waters from the surface waters of the northern North Atlantic and relatively fresh waters of Antarctic origin (Merz, 1925).



Rumford, B., Count of. 1800. Essay VII, The propagation of heat in fluids. Pp. 197–386 in Essays, Political, Economical, and Philosophical, A New Edition 2. London.

Merz, A. 1925. Die Deutsche Atlantische Expedition auf dem Vermessungs- und Forschungsschi "Meteor." Bericht. Sitzungsberichte der Preussischen Akademie der Wissenschaften, Physikalische-Mathematische Klasse: 562–586.

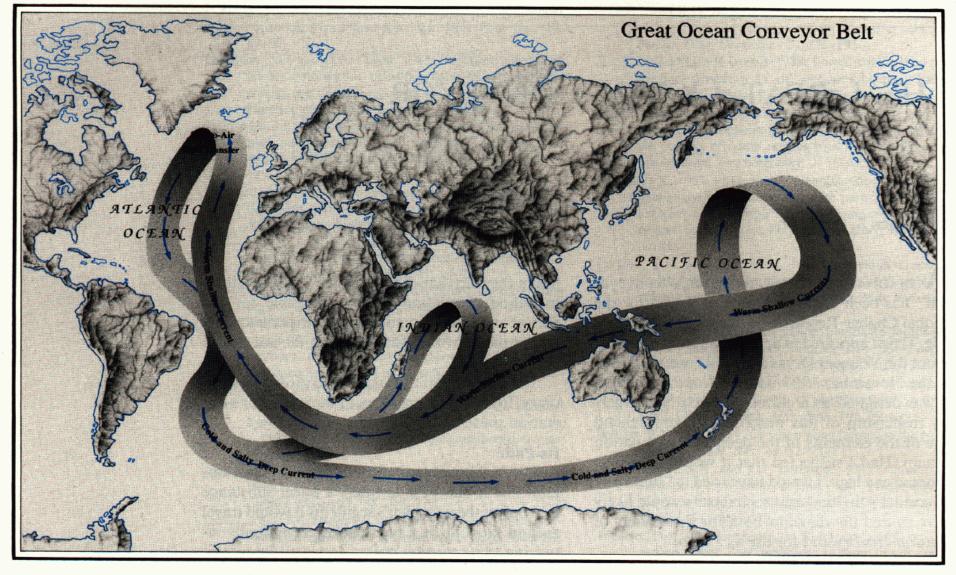
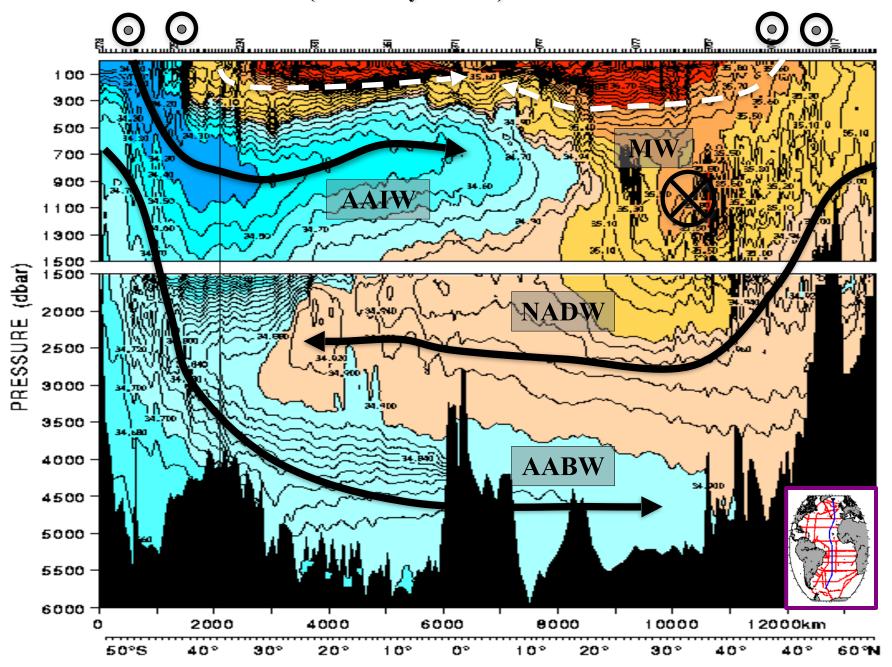
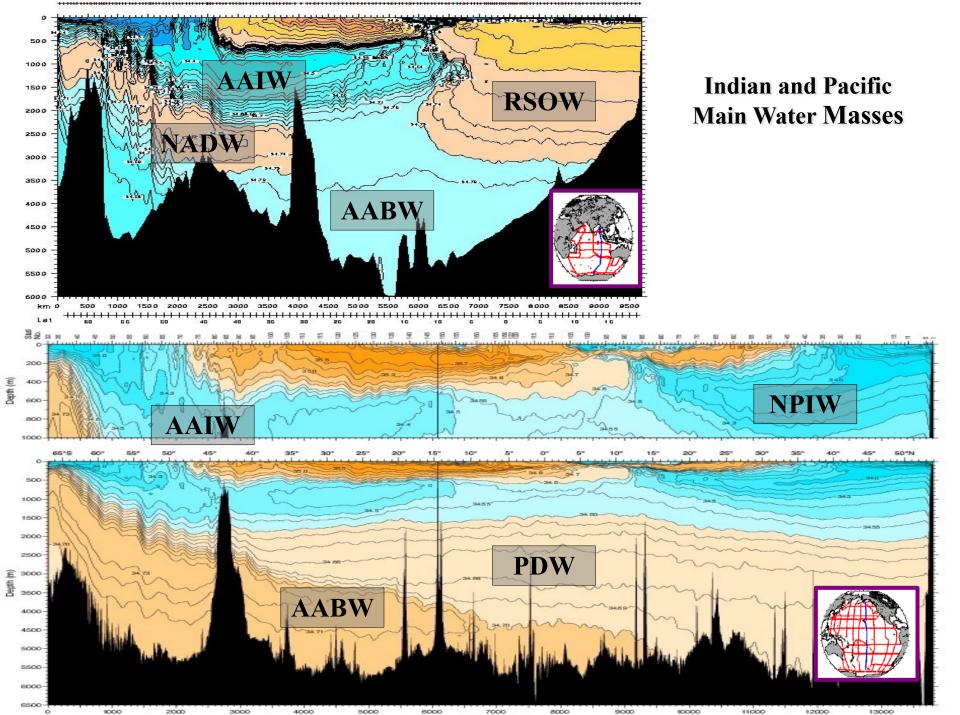


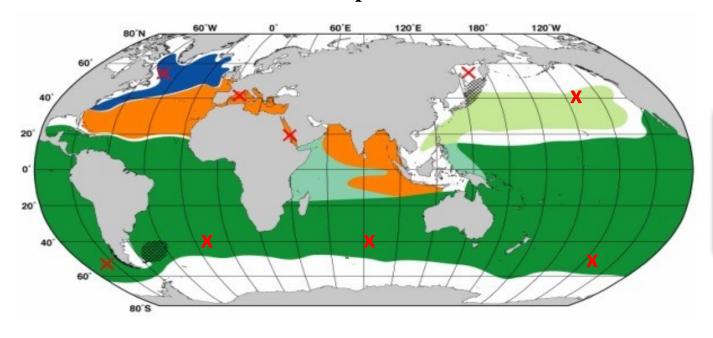
Fig. 1: The great ocean conveyor logo (Broecker, 1987). (Illustration by Joe Le Monnier, Natural History Magazine.)

Atlantic Main Water Masses (on salinity section)



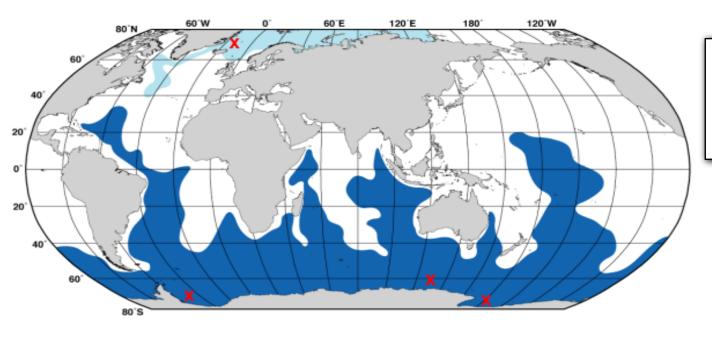


The Water mass formation processes



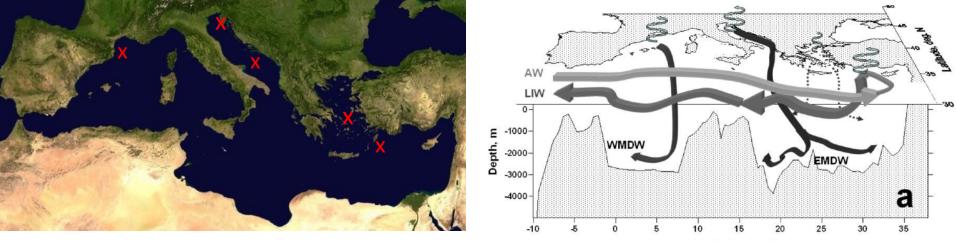
CONDITIONS

- 1. Intense heat and freshwater losses
- 2. Relatively weak stratification
- 3. Trapping

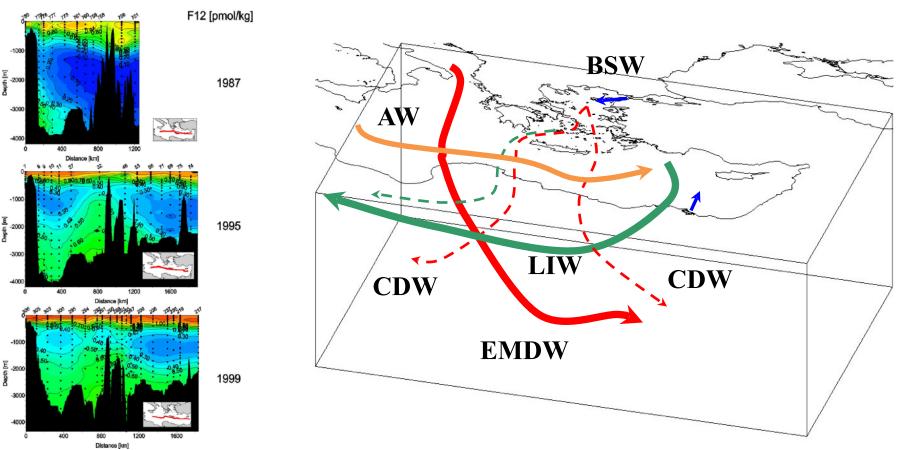


AREAS

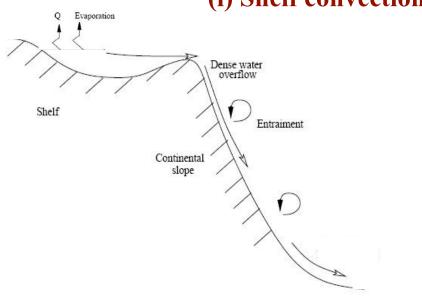
- 1. Arctic regions
- 2. Semi-enclosed seas
- 3. Continental shelf
- 4. Cyclonic features



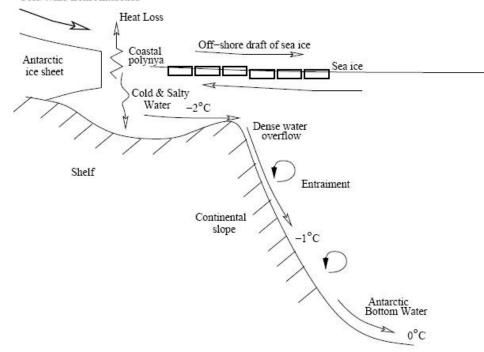
The Mediterranean Sea water masses



(i) Shelf convection



Cold Wind from Antarctica



Shelf water mass formation

- •Strong heat loss and/or evaporative rates over the relatively shallow water column on the continental shelf can lead to formation of very dense waters.
- •Entrainment on the continental slope changes dramatically the new water mass temperature and salinity properties and gives the water mass its final characteristics.

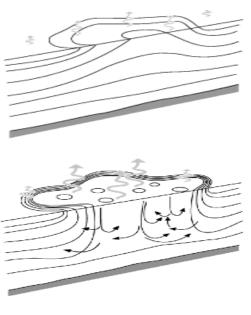
Arctic/Antarctic shelf water mass formation

- •Winds blowing offshore open the ice sheet, forming a polynya.
- •Salt addition to the water column, related to ice formation increases the water salinity.
- •Large heat fluxes (~1000 W m-2) from the exposed ocean drives bottom water formation.
- •Entrainment changes the water mass properties.

(ii) Open ocean convection

1. Pre-conditioning (order of 100 km)

During preconditioning the gyre-scale cyclonic circulation with its "doming" isopycnals, brings weakly stratified waters of the interior close to the surface. Buoyancy loss is preconditioning the "trapped" water.



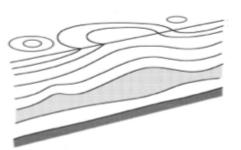
2. Deep convection (order of 1 km)

Subsequent cooling events may then initiate deep convection in which a substantial part of the fluid column overturns in numerous plumes that distribute the dense surface water in the vertical.



3. Lateral exchange (order of 10 km)

With the cessation of strong forcing, or <u>if the cooling continues</u> <u>for many days</u>, the predominantly vertical heat transfer on the convective scale gives way to horizontal transfer associated with eddying on geostrophic scales as the mixed patch laterally exchanges fluid with its surroundings.



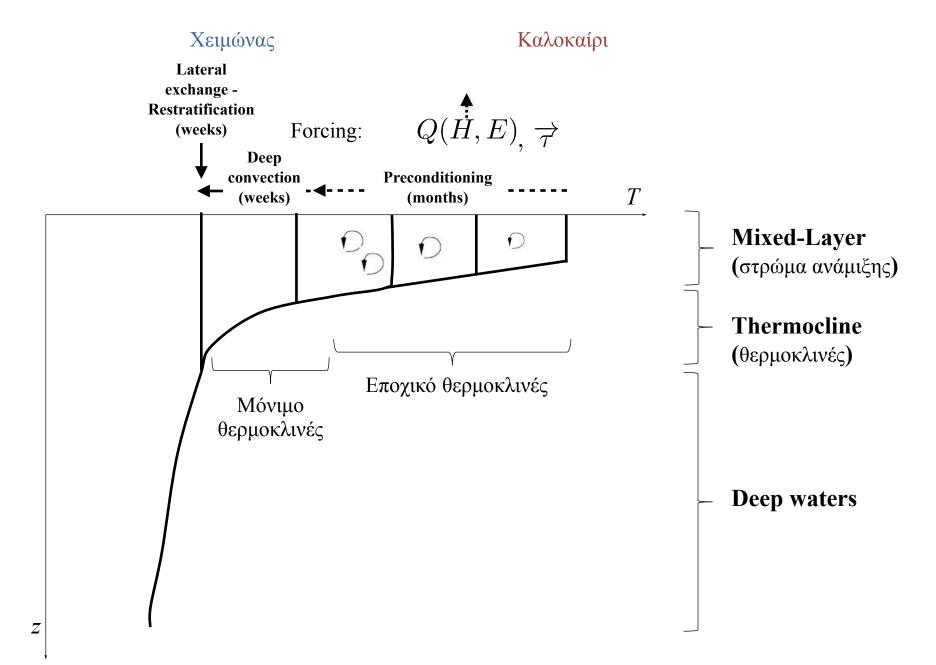
4. Re-stratification

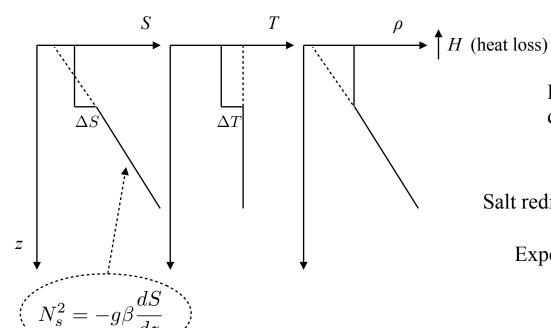
The mixed fluid disperses under the influence of gravity and rotation, spreading out at its neutrally buoyant level and leading, on a timescale of weeks to months, to the disintegration of the mixed patch and reoccupation of the convection site by the stratified fluid of the periphery.

eddies

 $(\sim 10 \text{ km})$

For details: Marshall, J., and F. Schott, Open-ocean convection: Observations, theory, and models, Rev. Geophys., 37, 1–64, 1999.





Turner, 1973

Heat/salt balances in a uniform mixed layer of depth *d* at time *t*

Heat loss
$$\longrightarrow Ht = -\rho c_p d\Delta T$$
 (1)

Salt redistribution
$$\longrightarrow g\beta\Delta S = \frac{1}{2}dN_s^2$$
 (2)

Experimental observations show that:

$$\alpha \Delta T = -\beta \Delta S \ (3)$$

Buoyancy flux (due to heat flux) can be written as: $B = \frac{g\alpha H}{\rho c_p}$ (4)

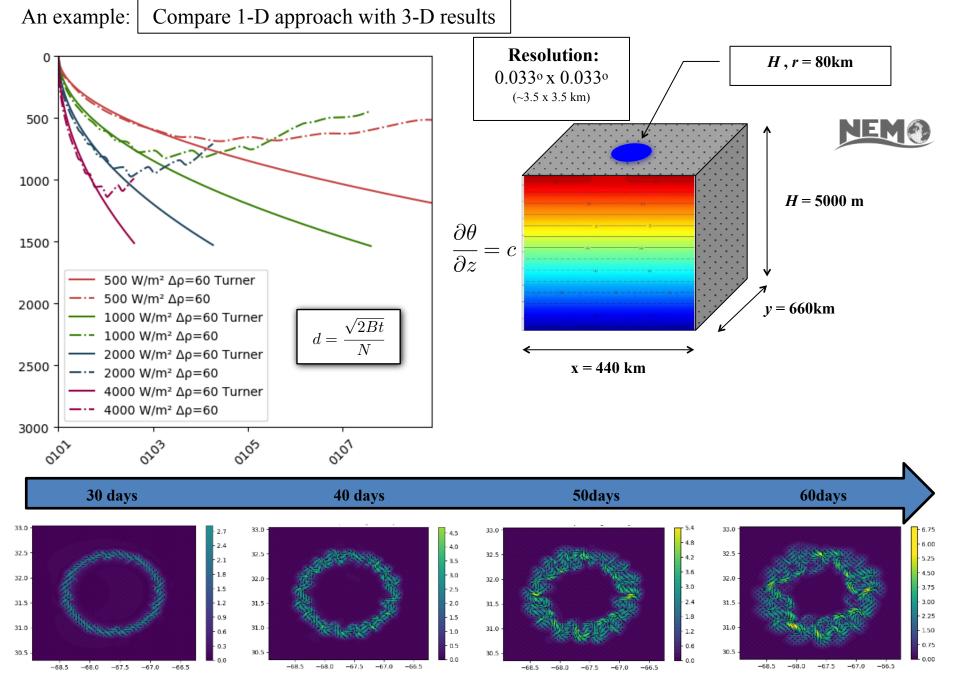
Combining (1),(2),(3) and (4): (1)
$$\Rightarrow d = -\frac{Ht}{\rho c_p \Delta t} \stackrel{(3)}{=} -\frac{Ht}{\rho c_p} \frac{(3)}{\sqrt{2Bt}} = \frac{Ht}{\rho c_p} \frac{(3)}{\sqrt{2Bt}} = \frac{Ht}{\rho c_p} \frac{(3)}{\rho c_p} \frac{Ht}{\rho c_p} = \frac{1}{\rho c_p} \frac{\partial \rho}{\partial S}$$

$$= \frac{Ht\alpha}{\rho c_p \beta \Delta S} \stackrel{(2)}{=} \frac{Ht2g\alpha}{\rho c_p dN_S^2} = \frac{2t}{dN_S^2} \stackrel{(g\alpha H)}{\rho c_p} \Rightarrow d^2 = \frac{2Bt}{N_S^2}$$

$$= \frac{Ht\alpha}{\rho c_p \beta \Delta S} \stackrel{(2)}{=} \frac{Ht2g\alpha}{\rho c_p dN_S^2} = \frac{2t}{dN_S^2} \stackrel{(2)}{\rho c_p} = \frac{2Bt}{N_S^2}$$

$$= B (4)$$

Turner J.S., 1973: Buoyancy effects in fluids, Cambridge University Press.



S.Stefanou, MSc Thesis, Univ. Athens

Vorticity (στροβιλισμός) reduced gravity form

$$\frac{\partial u}{\partial t} + u \frac{\partial u}{\partial x} + v \frac{\partial u}{\partial y} = -g' \frac{\partial h}{\partial x} + f v \qquad (1)$$

$$\frac{\partial u}{\partial x} + u \frac{\partial v}{\partial y} + v \frac{\partial v}{\partial y} = -g' \frac{\partial h}{\partial y} - f u \qquad (2)$$

$$\frac{\partial}{\partial x}(2) - \frac{\partial}{\partial y}(1)$$

$$\frac{\partial}{\partial t} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) + \frac{\partial u}{\partial x} \frac{\partial v}{\partial x} + u \frac{\partial^{2} v}{\partial x \partial x} + \frac{\partial v}{\partial x} \frac{\partial v}{\partial y} + v \frac{\partial^{2} v}{\partial x \partial y} + v \frac{\partial^{2} u}{\partial y \partial x} + v \frac{\partial^{2} u}{\partial y \partial y} + v \frac{\partial^{2} u}{\partial y \partial y} + v \frac{\partial^{2} u}{\partial y \partial y} + v \frac{\partial^{2} u}{\partial x \partial y} + v \frac$$

$$\frac{\partial}{\partial t} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) + u \frac{\partial}{\partial x} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) + v \frac{\partial}{\partial y} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) + \\
+ \frac{\partial u}{\partial x} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) + \frac{\partial v}{\partial y} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) = \\
= -f \left(\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} \right) - \frac{df}{dt} \\
= \left(\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} \right) \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) \\
= \frac{\partial u}{\partial x} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) + \frac{\partial v}{\partial y} \left(\frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} \right) \\
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= \frac{\partial v}{\partial x} \left(\frac{\partial v}{\partial x} - \frac{\partial v}{$$

Defining **relative vorticity:**
$$\frac{\partial v}{\partial x} - \frac{\partial u}{\partial v} = \zeta \quad \text{(ocean velocity curl)}$$

$$\frac{d\zeta}{dt} + \zeta \left(\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} \right) = -f \left(\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} \right) - \frac{df}{dt}$$

$$\frac{d}{dt}(f+\zeta) = -(f+\zeta)\left(\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y}\right)$$

The pathways of deep waters

in the abyssal

ocean



For large scale motions $R_o \ll 1$

Starting from

$$\frac{d}{dt}(f+\zeta) = -(f+\zeta)\left(\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y}\right)$$
 and using the continuity equation
$$\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} = -\frac{\partial w}{\partial z}$$

$$\frac{d}{dt}(f+\zeta) = -(f+\zeta)\left(-\frac{\partial w}{\partial z}\right)$$

Scaling

$$\zeta = \frac{\partial v}{\partial x} - \frac{\partial u}{\partial y} = O\left(\frac{U}{L}\right)$$

$$f = O(f_0)$$

$$\int \frac{\zeta}{f} = O\left(\frac{U}{f_0 l}\right) = O(R_0) << 1$$

Ignoring ζ and

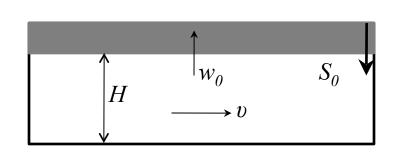
$$\frac{df}{dt} = \frac{\partial f}{\partial t} + u \frac{\partial f}{\partial x} + v \frac{\partial f}{\partial y} + w \frac{\partial f}{\partial z} = \beta v$$

$$\Rightarrow \boxed{\beta v = f\left(\frac{\partial w}{\partial z}\right)}$$

Abyssal Circulation (Stommel-Arons Theory)

Potential vorticity conservation:

$$\beta v = f \frac{\partial w}{\partial z}$$



$$\frac{2\Omega\cos\theta}{R_{earth}}v = 2\Omega\sin\theta \frac{\partial w}{\partial z}$$

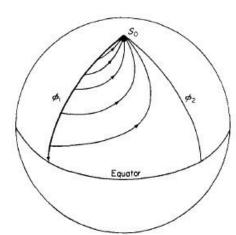
$$\frac{\partial w}{\partial z} \approx \frac{w_{top} - w_{bot}}{H} = \frac{w_0}{H}$$

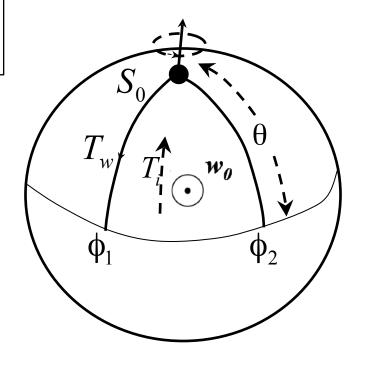
$$v = \frac{w_0R}{H}\tan\theta$$

$$\upsilon = \frac{w_0 R}{H} \tan \theta$$

Continuity
$$\frac{\partial u}{\partial w} + \frac{\partial v}{\partial w} + \frac{\partial w}{\partial w} -$$

$$\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} = 0$$





Stommel et al.; Stommel & Arons (1958, 1960)

"Half Ocean solution"

Conservation of volume:

$$S_0 + T_i = T_u + T_w$$

$$T_i = \int_{\phi_1}^{\phi_2} H v R \cos \theta \ d\phi = w_0 R^2 \sin \theta \left(\phi_2 - \phi_1 \right)$$

$$T_u = \int_{\phi_1}^{\pi/2} \theta \int_{\phi_1}^{\phi_2} w_0 R^2 \cos \theta \ d\phi \ d\theta = w_0 R^2 (1 - \sin \theta) (\phi_2 - \phi_1)$$

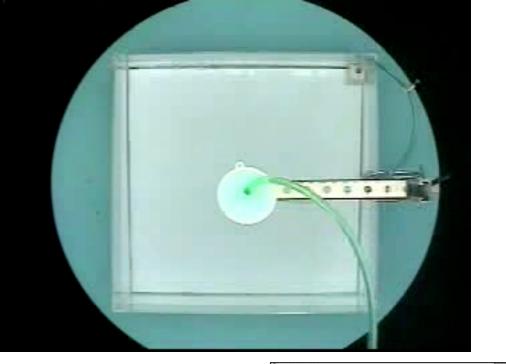
and $T_u(\text{domain}) = w_0 R^2 (\phi_2 - \phi_1) = S_0$

$$T_{w} = S_{0} + w_{0}R^{2} \sin\theta (\phi_{2} - \phi_{1}) - w_{0}R^{2} (1 - \sin\theta) (\phi_{2} - \phi_{1}) =$$

$$= S_{0} + w_{0}R^{2} (\phi_{2} - \phi_{1}) (\sin\theta - 1 + \sin\theta)$$

$$S_{0}$$

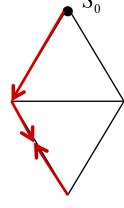
$$T_w = 2S_0 \sin \theta$$

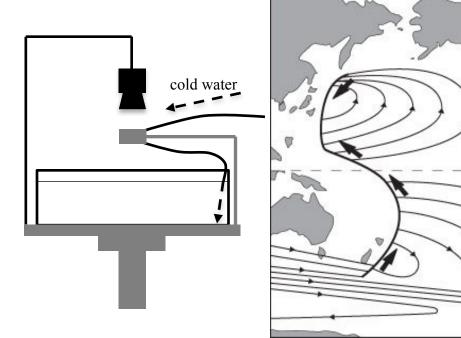


"Whole" basin solution

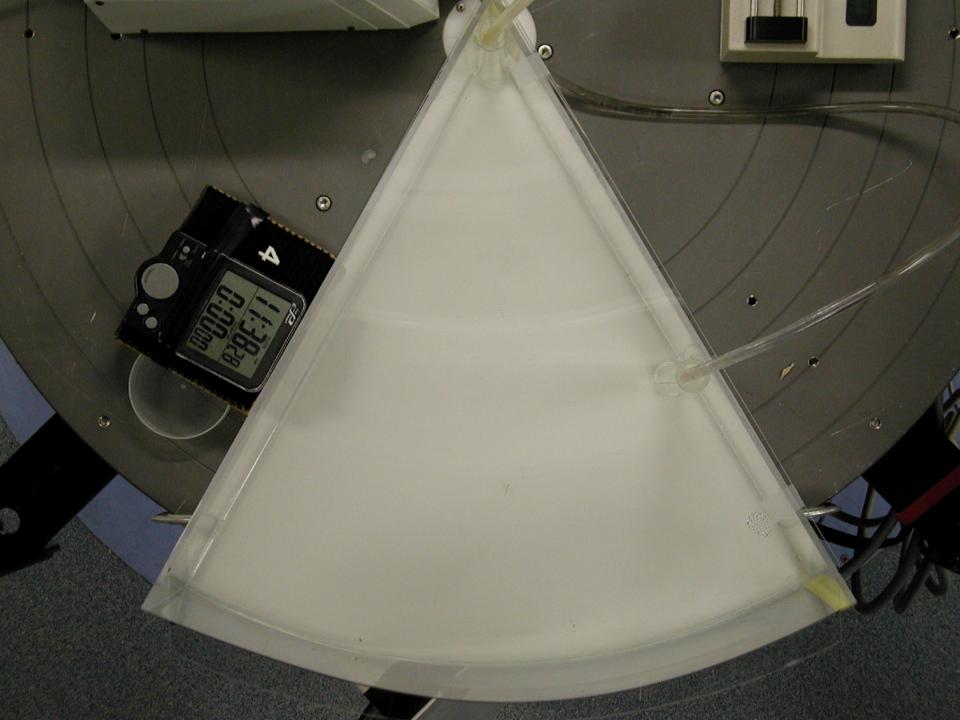
$$S_0 = 2w_0 R^2 \left(\phi_2 - \phi_1\right)$$

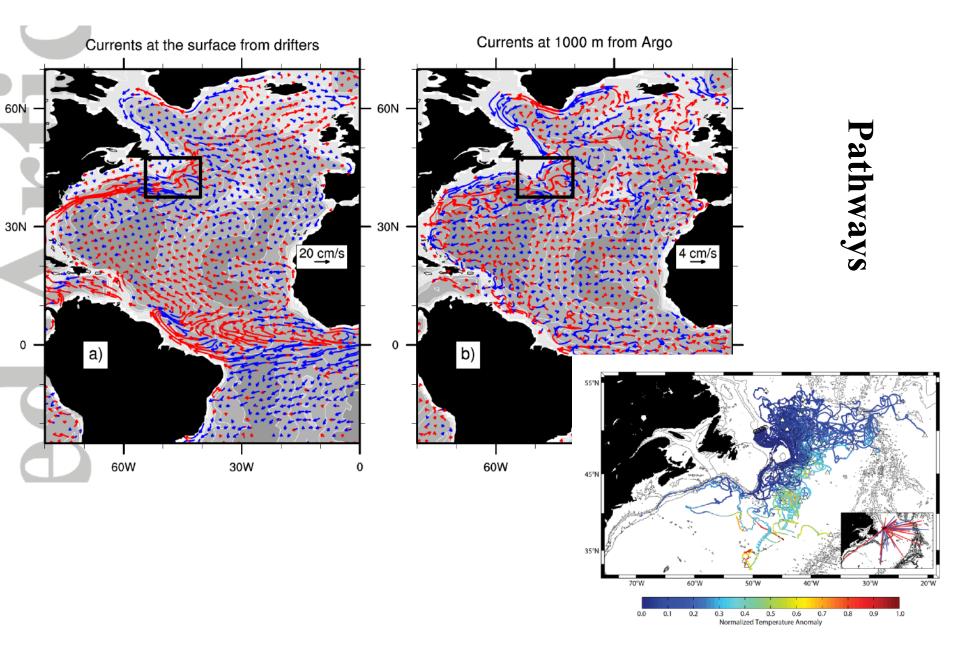
$$T_w = S_0 \left(\frac{1}{2} + \sin\theta\right)$$





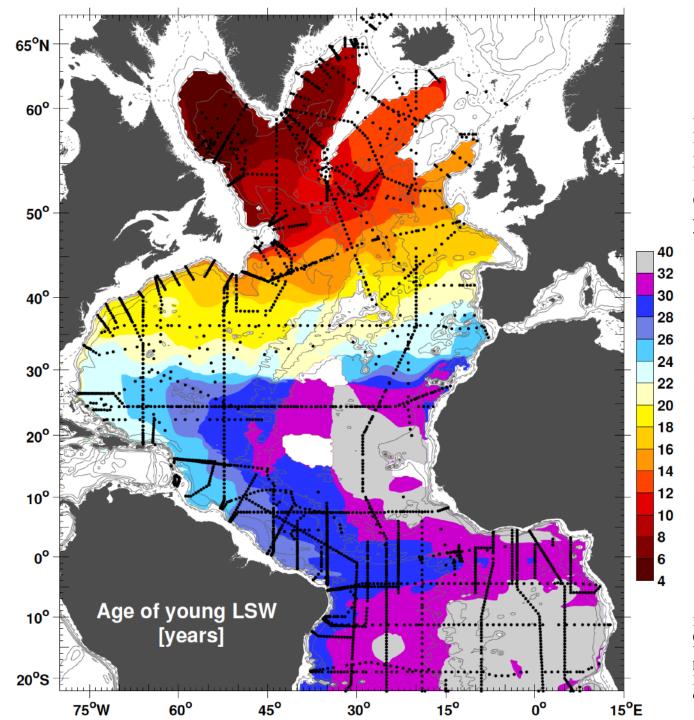






Bower, A. S., M. S. Lozier, S. F. Gary, and C. W. Boning (2009), Interior pathways of the North Atlantic meridional overturning circulation, Nature, 459, 243–247. Lumpkin, R., S. A. Grodsky, L. Centurioni, M.-H. Rio, J. A. Carton, and D. Lee (2013), Removing spurious low-frequency variability in drifter velocities, Journal of Atmospheric and Oceanic Technology, 30 (2), 353–360.

Ollitrault, M., and A. Colin de Verdiere (2014), The ocean general circulation near 1000-m depth, J. Phys. Oceanogr., 44 (1), 384–409, doi:10.1175/JPO-D-13-030.1.



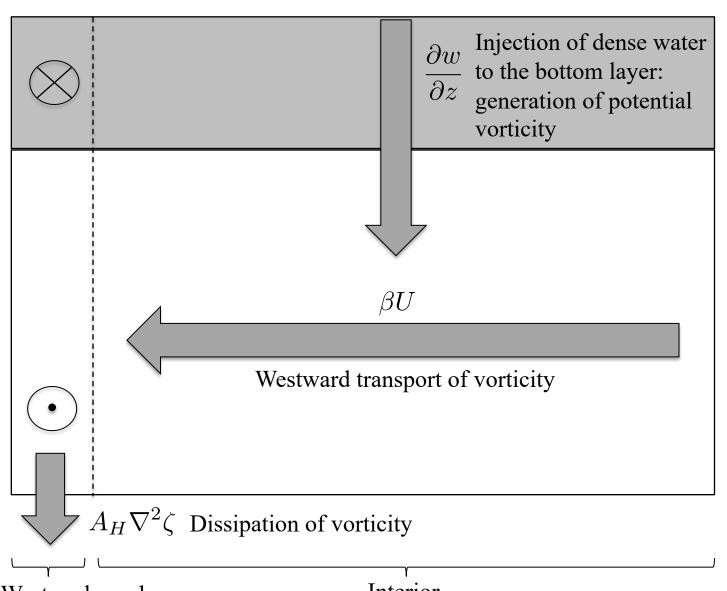
Tracers

Map of tracer age of the Labrador Sea Water (LSW) layer calculated from CFC concentrations for LSW younger than 40 years.

Rhein, M., D. Kieke, and R. Steinfeldt (2015), Advection of North Atlantic Deep Water from the Labrador Sea to the southern hemisphere, Journal of Geophysical Research: Oceans, 120(4), 2471–2487, doi:10.1002/2014JC010605.



Atmospheric thermohaline forcing: Intense Q_H and E

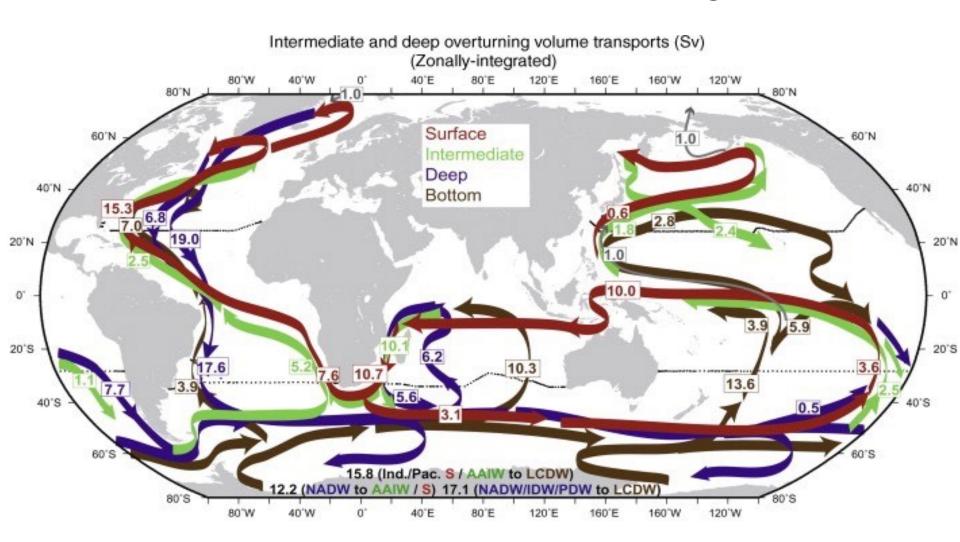


Which mechanism is tranposrting vorticity/energy westwards? (see large-scale waves)

Western boundary

Interior

The "conveyor belt" The "overturning circulation"



The thermohaline routes

