



ΕΛΛΗΝΙΚΗ ΔΗΜΟΚΡΑΤΙΑ
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ΠΜΣ “Οικονομική Επιστήμη” (MPhil in Economics)

Course: Η Πολιτική Οικονομία του Finance

The Political Economy of Finance

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Μάθημα 3

- A) Επανάληψη της θεωρίας του Επιτοκίου και των Αναλυτικών Κατηγοριών στο Μαρξ
- B) Σύγχρονες Θεωρίες προσδιορισμού του επιτοκίου.

Σκοπός του Μαθήματος και Περιεχόμενα

Σκοπός του εμβόλιμου αυτού μαθήματος είναι:

A) Η εμβάθυνση στις αναλυτικές κατηγορίες: 1) του «χρηματεμπορικού κεφαλαίου» (Money Dealing Capital), 2) του «τοκοφόρου κεφαλαίου» (Interest Bearing Capital) και 3) του «Πλασματικού Κεφαλαίου» (Fictitious Capital) στο Μαρξ. Οι σχετικές σημειώσεις και βιβλιογραφία βρίσκονται στο Μάθημα 2 διαφάνειες 12-21.

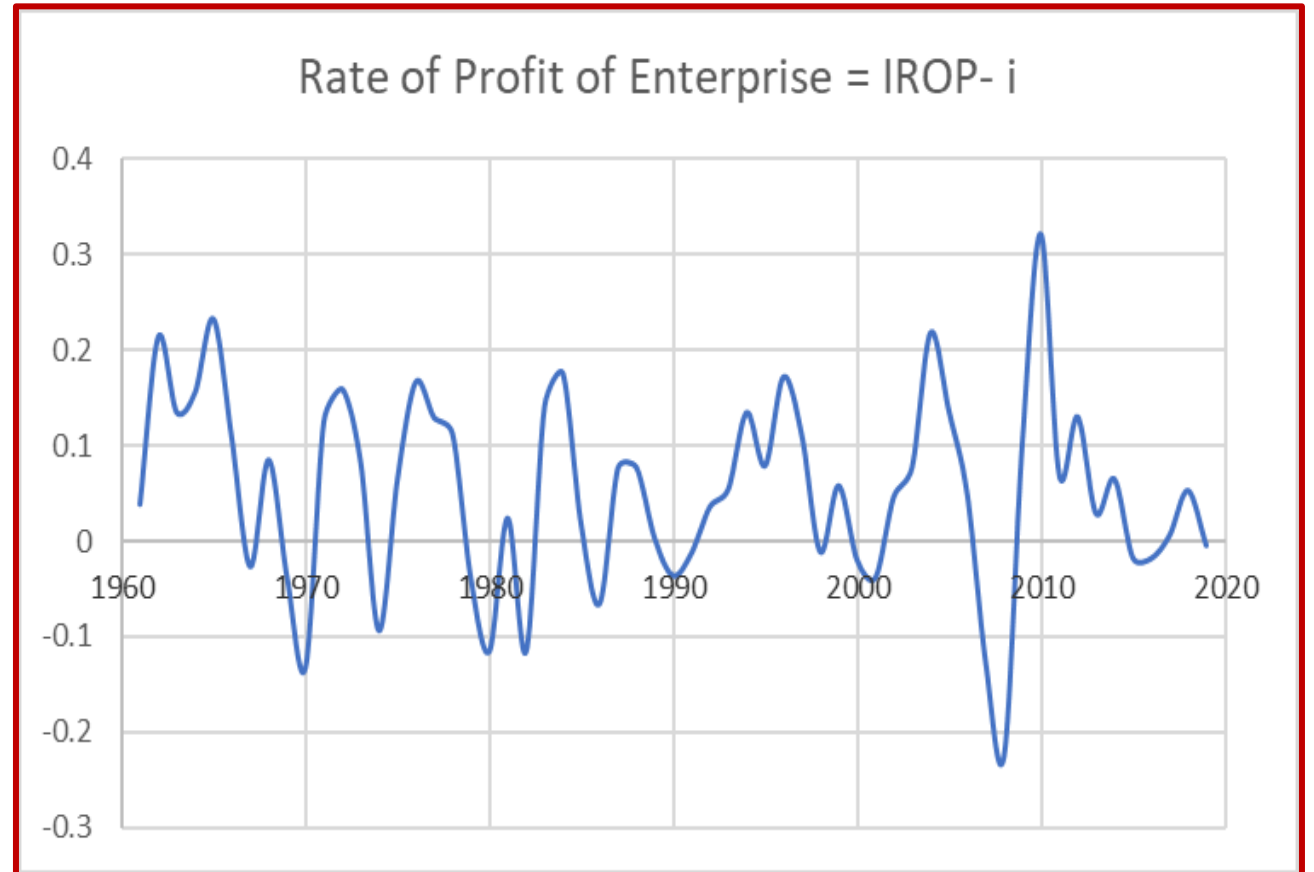
B) Ο συνδυασμός του (A) με σύγχρονες θεωρίες προσδιορισμού του επιτοκίου και των χρηματιστηριακών αποδόσεων. Για το σκοπό αυτό ακολουθεί η παρουσίαση άρθρου μου στο συνέδριο του International Initiative for Promoting Political Economy (IIPPE) το 2021. Το άρθρο εξετάζει : 1) «Το Παράδοξο του Συντελεστή Κινδύνου Μετοχών» (Equity Risk Premium Puzzle) στην ορθόδοξη θεωρία του finance (Mehra and Prescott 1985), 2) Την εξίσωση του «οριακού ποσοστού κέρδους» (Incremental Rate of Profit) με την απόδοση των μετοχών του S&P 500, 3) την επέκταση της θεωρίας για τον προσδιορισμό του επιτοκίου μέσα από την εξίσωση των αποδόσεων του τραπεζικού και χρηματοπιστωτικού τομέα και, 4) την εμπειρική εξέταση του αποτελέσματος με στοιχεία από τις ΗΠΑ. Το τελικό συμπέρασμα είναι ότι το επιτόκιο είναι μικρότερο από το οριακό ποσοστό κέρδους σε περιόδους κανονικής συσσώρευσης. Όμως η διαφορά τους δεν έχει να κάνει με τον «μετρήσιμο κίνδυνο» (risk premium). Με αυτή τη λογική εξηγεί το «παράδοξο του συντελεστή κινδύνου των μετοχών» (equity risk premium puzzle).

Η συμπληρωματική βιβλιογραφία που αφορά το άρθρο παρατίθεται στην τελευταία διαφάνεια

A Reconciliation of Marx's Theory of Interest and the Risk Premium Puzzle

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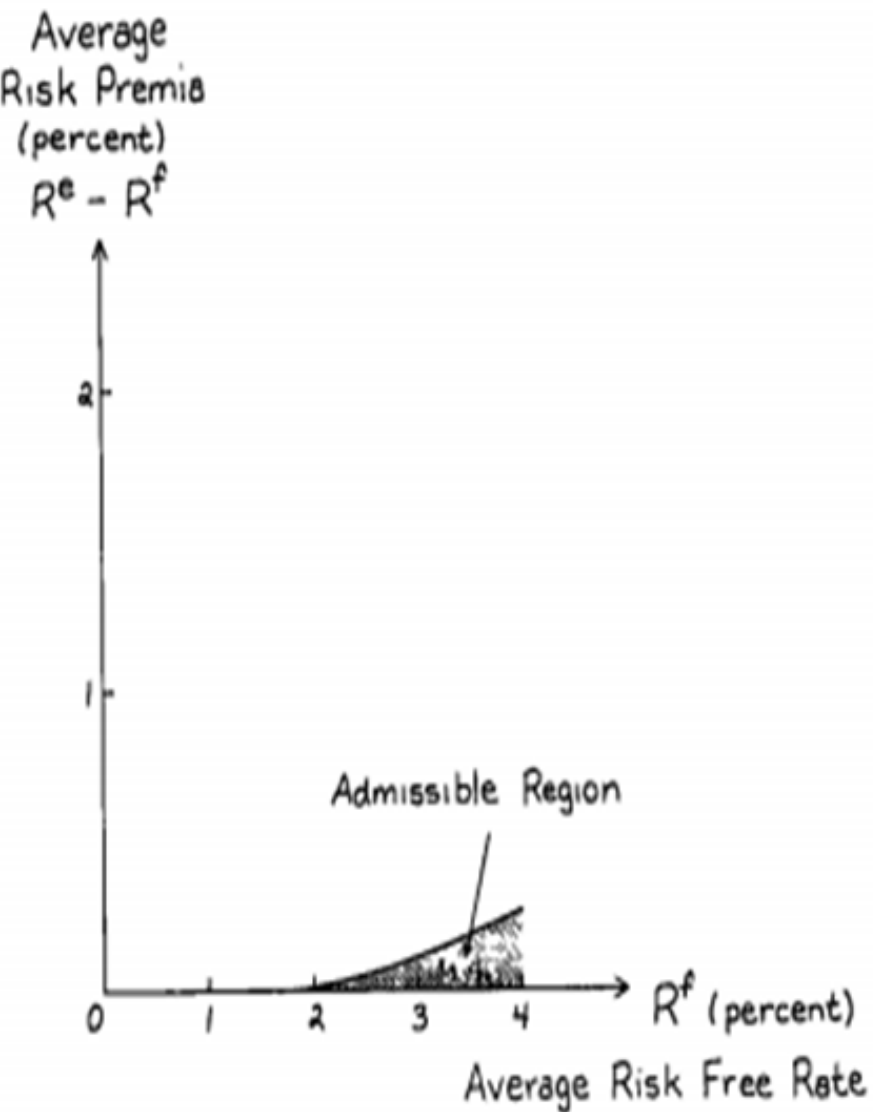


Fig. 4. Set of admissible average equity risk premia and real returns.

The Equity risk Premium Puzzle

Mainstream finance theory cannot explain the difference between the equity returns and the rate of interest.

The reason is that the basic rate of interest is considered a risk-free rate of return and its difference with the returns of other assets is a “risk premium” reflecting asset price/return volatility.

However, the “risk premium” must be compatible with the “risk free asset”, The reason is that theory implies a constant “risk aversion” utility function. The latter means that the level and volatility of the “risk free asset” is reflected on the “premium” basis the coefficient of “risk aversion”.

Mehra and Prescott (1985) applied this rationale in a simulation of the “risk premium”. The real return on the ‘risk-free’ asset in the United States for the period 1889-1978 was 0,8% whereas the average annual real return on equity index was 6,98%, therefore the actual average annual risk premium was 6,08%. The maximum admissible risk premium in the figure is 0,35% well off the actual data. This huge discrepancy has gone down to literature as the ‘equity risk premium puzzle’.

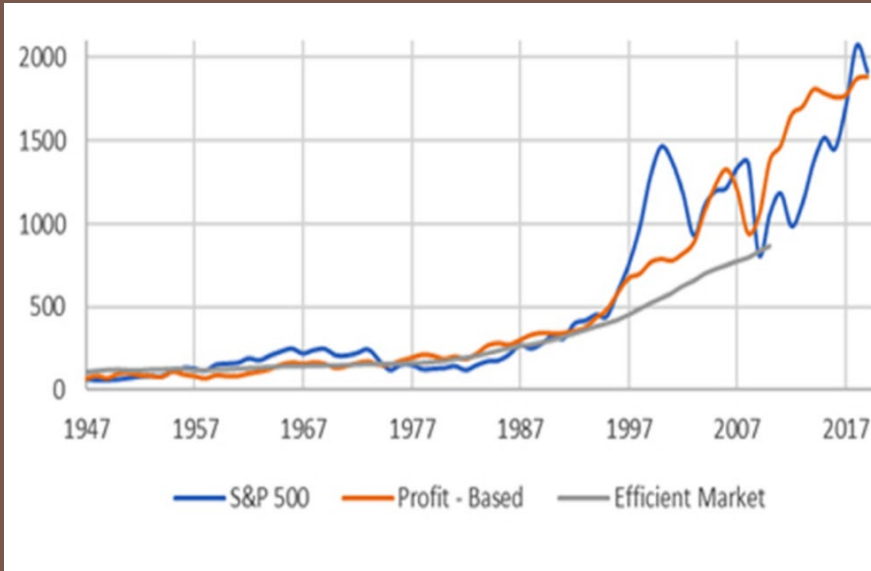
An Alternative Theory of Equity Pricing

An alternative theory of equity pricing can be established on the idea that stock market returns follow the “incremental rate of profit” (IROP). In other words, the profit on the most recent investments. Many analytical and empirical studies indicate that it is around this rate that the return between the “regulating capitals” in the commodity sector takes place. In other words, it regulates the mobility of capital between sectors.

The same notion is extended to encompass the tendency of equalization between the corporate and stock market returns i.e., IROP regulates the mobility of capital between the corporate and the financial sector as well. This is close to the assertions of mainstream theory (Elton & Gruber 1976) but in the classical/ Marxian context the IROP is a highly volatile measure and indeed it is. In the classical theory of competition corporations constantly introduce new products and techniques that alter profitability and returns reflecting back on stock prices.

This happens through market expectations. But here expectations can alter the fundamentals because the regulating rate of profit (IROP) depends to certain extent on the banking capital and the corporate leverage. This reflects back on prices and up to certain point makes expectations a self fulfilling process. It is the George Soros’ “reflexivity theory” that introduces, contrary to rational expectations and the efficient market hypothesis, path dependence and bias in the formation of expectations. The latter can lead to bubbles and exaggerations but if/ when fundamentals deteriorate it leads to the sharp corrections that are witnessed in stock markets.

Empirical Evaluation of the Theory



The IROP can be defined as the ratio of the change in profits (ΔPr) normalized by investment (I) $IROP = \Delta Pr / I$. In terms of the theory this means the rate of return on a stock index $\Delta P / P = IROP$. This equation can be reformulated as follows: $P_{t+1} = (1 + IROP_t) \cdot P_t$. Shaikh (2016) has simulated an equation of this form 1947 until 2009 and I extended the simulation until 2019. The results are shown in the chart next. Moreover, IROP has almost the same average with the average return of the S&P 500 (IROP 7.77%, S&P 8,86%) and similar standard deviation.

I have applied also a non-parametric technique using the log growth rate of the Earnings per Share (EPS) as the fundamental. The theory is known as “transfer entropy” and the applied statistic as “Mutual Information” (MI). The statistic measures the “amount of information” obtained about the log growth of the S&P 500 by observing the log growth of the EPS. Here ‘mutual information’ (MI) is used as a tool for detecting order/ disorder transitions in the stock exchange. This approach is analyzed in Wicks, Chapman, and Dendy (2007). As shown in the chart next it reveals a very interesting pattern that supports “reflexivity theory”.



Real Gross Profit	Pr	Time	t
Real Investment	I	Earnings Per Share	EPS
S&P 500 Index Price	P	Incremental Rate of Profit	$IROP = \Delta Pr / I$

Extending the Rationale to the Interest Rate

Can we extend this equalization assumption to encompass interest rate determination? In other words can we consider that the Interest Bearing Capital enters the equalization process like the Money Dealing Capital?

We can, provided that banks are part of the process as capitalist enterprises. The latter means that the rate of interest is not a rate of return but a price that tends to equalize the returns of the “regulating” corporate and banking capitals with those of commodity capitals. This approach was taken by Panico (1989). In his context exogenous liquidity premia determine both the rate of profit and the rate of interest as outlined in the set of equations next where interest rates determine prices.

Shaikh (2016) built on Panico but did not use liquidity premia. He added a banking price equation (including costs and returns) together with the price equations of the corporate sector (as indicated in the equation set appearing next). This way he determines the interest rate from the solution of a Sraffian model. The theory has many interesting properties : a) the difference between the rate of profit and the rate of interest has nothing to do with risk, b) there is no “natural interest rate” since for every price level corresponds a different rate of interest, c) it offers an explanation of the “Gibson Paradox”.

Nevertheless, the solution is static and points to an “average” “gravity centre” rate of interest.

$$\begin{aligned} \mathbf{p} &= (\mathbf{p} \cdot \mathbf{a} + \mathbf{w} \cdot \mathbf{l})(1 + r) + i \cdot \ell - i_0 \cdot d\mathbf{p} \\ i &= (\mathbf{p} \cdot \mathbf{a}_{\text{bnk}} + \mathbf{w} \cdot \mathbf{l}_{\text{bnk}})(1 + r) + i_0 \cdot d\ell \\ i &= i_0 + \vartheta_0 \\ r &= i_0 + \vartheta_K \\ \mathbf{w} &= \mathbf{w}^* \end{aligned}$$

$$\begin{aligned} \mathbf{p} &= (\mathbf{p} \cdot \mathbf{a} + \mathbf{w} \cdot \mathbf{l})(1 + r) \\ i &= (\mathbf{p} \cdot \mathbf{a}_{\text{bnk}} + \mathbf{w} \cdot \mathbf{l}_{\text{bnk}}) \cdot (1 + r) + r \cdot r_d \cdot d\ell \end{aligned}$$

p	Price Vector	abnk	input row banks
a	Input row commodity sector	l	labor input com. Sector
w	wage	lbnk	labor input bank Sector
r	regulating rate of profit	i0	basic interest rate
θ0	banking liquidity premium	θk	corporate liquidity premium

Alternative Formulation and Empirical Evaluation of (IROP – i)

This formulation does not oppose the one in Shaikh (2016) but has different characteristics: a) it places the emphasis on the time series of the difference between the “incremental rate of profit” (IROP) and the “rate of interest” (i), b) it does not necessarily imply an “average (normal) rate of interest”.

At the analytical level this means that the IROP is mainly determined in the commodity sector and a highly volatile interest rate tends to make the returns between corporate and interest bearing capital equal.

At the empirical level I worked on the idea that a high ratio of net to gross corporate profits implies quick turnover of loaned funds and a fast restoration of the depository base of the banking sector. In this environment banks will expand their asset side without asking for much higher interest rates. The opposite holds for low net profits. On these grounds the interest rate can be written as follows $i_t = \text{IROP}_t - a \cdot y_t$, $y_t = \frac{\text{NPr}_t}{\text{Pr}_t}$

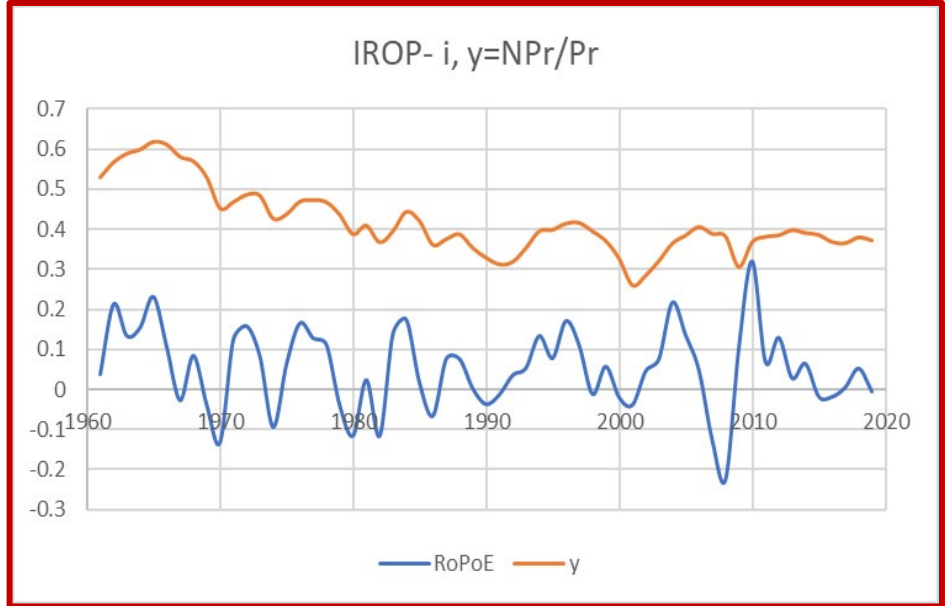
This can be incorporated in the framework discussed so far. Specifically, abstracting from direct banking costs Shaikh’s equation takes the following form $i_t = \text{IROP}_t \cdot \frac{D_t}{L_t} \cdot \frac{R_t}{D_t} = \text{IROP}_t \cdot \frac{R_t}{L_t}$. Combining the two forms we get $\text{IROP}_t - i_t = a \cdot y_t = \text{IROP}_t \cdot \frac{L_t - R_t}{L_t}$. In words, the rate of profit of enterprise depends on profitability (IROP) and the ratio of free reserves to loans ($\frac{L_t - R_t}{L_t}$).

Continued

Corporate net profits are positively related to bank deposits and net to gross profits are positively related to the loan deposit ratio. But more interestingly the “Mutual Information” statistic (since it is difficult to perform an unbiased estimation of the parameter α) provides information explaining more than 60% of the variations in the difference between the rate of profit and the rate of interest (IROP - i). Given that the average IROP is almost equal to the average rate of return of the S&P 500 the equity premium is no “puzzle” and has nothing to do with risk.

Of course one should not take this trouble just to explain the equity premium. The important part is to identify the significance of the “Rate of Profit of Enterprise” in the triggering of major capitalist crises. At first I must stress that the definition of the measure in relation to the IROP instead of the “Average Rate of Profit” does not contradict the argument in Marx. On the contrary, $IROP = \Delta Pr / I$ reflects by definition the stagnation in the “mass of profit” that results from a falling “Average Rate of Profit” and signifies capitalist crises. Moreover from the definition of the rate of profit of enterprise a lower IROP (due to stagnant profits) signifies also lower Net Profits, higher interest rates, and a stagnant or even negative “Rate of Profit of Enterprise”. This is the pattern of the data that appears in the chart on the right hand side.

Frequency prob		Probability Table 1962-2019				
				RoPoE		
				Incr.	Decr.	58
21	0.36206897	y4	Incr.	0.36	0.24	0.60
			Decr.	0.09	0.31	0.40
				0.45	0.55	
5	0.0862069	H RoPoE	H y4	I(RoPoE, y4)	H(RoPoE, y4)	MI (RoPoE, y4)2
14	0.24137931	-0.5189	-0.43973	0.152277402	-0.530671293	
18	0.31034483	-0.47337	-0.52917	0	0	
58	1	0.992267	0.968898	-0.090007981	-0.304832147	
				0.156520564	-0.523879446	
				0.218789985	1.359382886	0.601781462
					Explanatory Power	0.606471525



Final Remarks – Is this the Theory of Interest in Marx?

		Probability Table 1962-1982				
				RoPoE		
				Incr.	Decr.	21
Frequency prob		y4	Incr.	0.33	0.19	0.52
			Decr.	0.05	0.43	0.48
both rise	7 0.333333			0.38	0.62	
RoPoE up y down	1 0.047619	H RoPoE	H y4	I(RoPoE, y)	H(RoPoE, y4)	MI (RoPoE, y4) 2
RoPoE down y up	4 0.190476	-0.53041	-0.48865	0.246747	-0.528320834	
both fall	9 0.428571	-0.42831	-0.50971	0	0	
	21	1 0.958712	0.998364	-0.09189	-0.209157973	
				0.231375	-0.523882466	
				0.386236	1.261361272	0.695714283
				Explanatory Power		0.725676082

It is difficult to say whether Marx intended to treat the rate of interest as a rate of return or as a price. At a point (Ch 21 V.III) he says that money in the form of Interest-Bearing Capital turn to a “**sui generis commodity**”. In a different part he states “... **There is no reason at all why the average conditions of competition, of equilibrium between lender and borrower, should give the lender an interest of 3, 4, 5 per cent...**”. Marxist economists have also argued in favor on both ideas appearing in V.III. Finally, we should not forget what Engels pointed out on section V of V.III “**we had no finished draft, not even a scheme whose outlines might have been filled out, but only the beginning of an elaboration-often just a disorderly mass of notes, comments and extracts.**” So, what I have presented is an attempt to reconcile Marx’s theory of interest with the rest of the theory.

		Probability Table 1983-2019				
				RoPoE		
				Incr.	Decr.	38
Frequency prob		y4	Incr.	0.39	0.26	0.66
			Decr.	0.11	0.24	0.34
both rise	15 0.394737			0.50	0.50	
RoPoE up y down	4 0.105263	H RoPoE	H y4	I(RoPoE, y)	H(RoPoE, y4)	MI (RoPoE, y4) 2
RoPoE down y up	10 0.263158	-0.5	-0.39742	0.103829	-0.529356678	
both fall	9 0.236842	-0.5	-0.5294	0	0	
	38	1	1 0.926819	-0.07373	-0.341887107	
				0.111194	-0.49215849	
				0.141293	1.363402274	0.56341679
				Explanatory Power		0.56341679

Nevertheless, and let this be the closing point, distribution of profit in “profit of capital” and “profit of enterprise” does not depend exclusively on gross and net corporate profitability. As the 19th century Scottish economist George Ramsay (cited on many occasions by Marx) puts it: “... **the unproductive borrowers, government and others,... by their competition tend to keep up the rate of interest**”. This is true especially at times of deregulation of the financial markets. To elaborate on this point, I broke down the calculation of MI in two periods (1962-1982) and the period of neoliberalism (1982-2019). The results shown in the two probability tables are indicative.

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